

A panoramic view of a city skyline, likely New York City, featuring a mix of modern glass skyscrapers and older brick buildings. The foreground shows a body of water, possibly the Hudson River, with a low wall or pier structure. The sky is clear and blue.

Andreas Krause

Chapter 8.1

Financial analyst access to company information

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Andreas Krause  
Department of Economics  
University of Bath  
Claverton Down  
Bath BA2 7AY  
United Kingdom

E-mail: [mnsak@bath.ac.uk](mailto:mnsak@bath.ac.uk)