



# Fees for abandoned mergers

- ▶ Investment banks advise on mergers and acquisitions, including conditions for transactions and whether to go ahead
- ▶ Investment banks face costs even if transactions are not going ahead, such as due diligence investigations
- ▶ Investment banks are paid if a transaction is completed, if it is abandoned, how much should they be paid?

## Costs and fees

- ▶ Merger value and probability of a merger being completed are unknown
- ▶ Merger value  $V$  has distribution  $G(V)$ , probability of merger  $\pi$  has distribution  $H(\pi)$
- ▶ Investment bank has fixed due diligence costs  $C_0$  for any initial work, if the merger goes ahead, additional costs incurred are  $C$
- ▶ Clients pay a fee  $F_0$  if the transaction does not commence, and a total of  $F_1$  if it commences
- ▶  $F_0$  is the break-up fee

## Advice to commence merger after due diligence

- ▶ Investment bank learns  $\pi$  and  $V$  after the contract is signed and due diligence costs  $C_0$  are already incurred
- ▶ Profits of investment bank are the fee if the transaction commences, alternatively the fee if it is abandoned, less the additional costs
- ▶  $\hat{\Pi}_B = \pi F_1 + (1 - \pi) F_0 - C$
- ▶ Investment bank advises to continue if  $\hat{\Pi}_B \geq 0$ , or  $\pi \geq \pi^* = \frac{C - F_0}{F_1 - F_0}$

# Investment bank profits

- ▶ Ex-ante  $\pi$  and  $V$  are not known, and profits are only made if the merger commences
- ▶ Investment banks also have to cover their initial due diligence costs
- ▶  $\Pi_B = \int_0^{+\infty} \int_{\pi^*}^1 \hat{\Pi}_B dH(\pi) dG(V) - C_0$
- ▶ Perfect competition implies  $\Pi_B = 0$

## Client profits

- ▶ If the merger commences the client gets the merger value, less the fee paid, and if the merger does not commence pays the break-up fee
- ▶  $\hat{\Pi}_C = \pi (V - F_1) - (1 - \pi) F_0$
- ▶ With  $V$  and  $\pi$  not known, and the merger only commencing if advised by the investment bank
- ▶  $\Pi_C = \int_0^{+\infty} \int_{\pi^*}^1 \hat{\Pi}_C dH(\pi) dG(V)$
- ▶ Clients want to commence a merger if  $\hat{\Pi}_C \geq 0$ , which gives  $\pi \geq \pi^{**} = \frac{F_0}{V - F_1 + F_0}$

# Maximizing profits

- ▶ We maximize client profits, subject to investment banks breaking even:  
 $\mathcal{L} = \Pi_C + \zeta \Pi_B$
- ▶ We here chose  $\zeta = 1$  and maximize joint profits, but other solutions are possible
- ▶ First order conditions  $\frac{\partial \mathcal{L}}{\partial F_i} = 0$  give  $F_1 = F_0 + \frac{C - F_0}{C} V$
- ▶ The full fee  $F_1$  is a contingent fee, as it is only paid if the merger commences and the amount paid is dependent on the value of the transaction  $V$

# No conflicts of interest

- ▶ Investment bank advises to commence if  $\pi > \pi^* = \frac{C - F_0}{F_1 - F_0}$
- ▶ Clients want to commence if  $\pi \geq \pi^{**} = \frac{F_0}{V - F_1 + F_0}$
- ▶ This gives  $\pi^* = \pi^{**}$  if we insert for  $F_1$  and no conflicts of interests exist



## Optimal break-up fee

- ▶ Using  $\Pi_B = 0$ , the optimal break-up fee is  $F_0 = C + \frac{C_0}{\int_0^{+\infty} \int_{\pi^*}^1 (1 - \frac{\pi}{\pi^*}) dG(\pi) dH(V)}$
- ▶ As  $\pi > \pi^*$ , the second term is negative and hence  $F_0 < C$
- ▶ The break-up fee is a conditional fee as it is fixed, but only payable if the merger does not commence
- ▶ This implies  $F_1 > F_0$  and the full fee is higher than the break-up fee
- ▶ If  $C < C_0 \left( 1 - \frac{1}{\int_0^{+\infty} \int_{\pi^*}^1 (1 - \frac{\pi}{\pi^*}) dG(\pi) dH(V)} \right)$ , then  $F_0 < C_0$
- ▶ If the full costs are not too high, investment banks will not recover their initial fixed costs from break-up fees
- ▶ If the full costs are sufficiently high, banks will recover their initial fixed costs

# Reasons for break-up fees

- ▶ If the additional costs are high, there is strong incentive for investment banks to advise abandoning the merger as recovering their costs will be difficult
- ▶ Having a high break-up fee allows them to recover some of these costs, making the incentives aligned
- ▶ With low full costs, the investment bank might want to proceed with the merger too often and the low breakup fee balances the incentives

# Incentive-compatibility of break-up fees

- ▶ If investment banks do not know the transaction characteristics, break-up fees are optimal
- ▶ They align the incentives of investment banks and their clients
- ▶ Investment banks do not too often advise to go ahead with or abandon a the merger as they receive a fee even if advising to not commence the transaction, balancing these aspects

# Implications of break-up fees

- ▶ Break-up fees are mechanism to align the incentives of investment banks and their clients
- ▶ Their use is not necessarily an arrangement that increases the profits of investment banks
- ▶ They increase the costs of clients abandoning a merger, making internal assessments by companies more important



This presentation is based on  
Andreas Krause: *Theoretical Foundations of Investment Banking*, Springer Verlag 2024 Copyright © 2024 by Andreas Krause

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