



Chapter 14.1.2
Coordination of deposit withdrawals

Losses from withdrawing deposits

- ▶ Withdrawals of deposits can impose losses on banks as they need to raise additional cash reserves
- ▶ These losses can impact depositors if banks are not able to repay their deposits fully
- ▶ If such losses occur to depositors remaining with the bank, it can be rational for them to withdraw deposits, too
- ▶ This causes a bank run
- ▶ Coordinating the withdrawal of deposits can prevent a bank run and be beneficial for all depositors

Loan sales to finance deposit withdrawals

- ▶ Banks face withdrawals of deposits
- ▶ They repay these deposits from their existing cash reserve and the sale of loans, for which they obtain a fraction of their true value

- ▶ $R + \lambda\pi(1+r_L)\hat{L} = \gamma D$

$$\Rightarrow \hat{L} = \frac{\gamma D - R}{\lambda\pi(1+r_L)}$$

Bank failure

- ▶ A bank fails if the remaining depositors cannot be repaid
- ▶ Banks obtain the repayments of the loans not sold, and the cash reserves, less the amount repaid for early withdrawals
- ▶ From this they need to repay the deposits of the remaining depositors
- ▶ $\pi (1 + r_L) (L - \hat{L}) + R - \gamma D < (1 - \gamma) (1 + r_D) D$

Insolvency with small deposit withdrawals

- ▶ If reserves are sufficient to cover the early withdrawal, $\gamma \leq \frac{R}{D}$, banks do not sell loans, $\hat{L} = 0$
- ⇒ $\pi < \pi^* = \frac{(1+(1-\gamma)r_D)D-R}{(1+r_L)(D-R)}$
- ▶ If loans are very risky the bank does not generate enough profits to repay depositors and becomes insolvent

Illiquidity with large deposit withdrawals

- ▶ If withdrawal rates are high, banks may have to sell all loans, $\hat{L} = L$
 - ▶ Banks cannot pay all depositors withdrawing early if the money raised, plus cash reserves, is below the deposit withdrawals
 - ▶ $R + \lambda\pi(1 + r_L)L < \gamma D$
- $\Rightarrow \pi < \pi^{**} = \frac{\gamma D - R}{\lambda(1 + r_L)(D - R)}$
- ▶ Bank are failing due to illiquidity

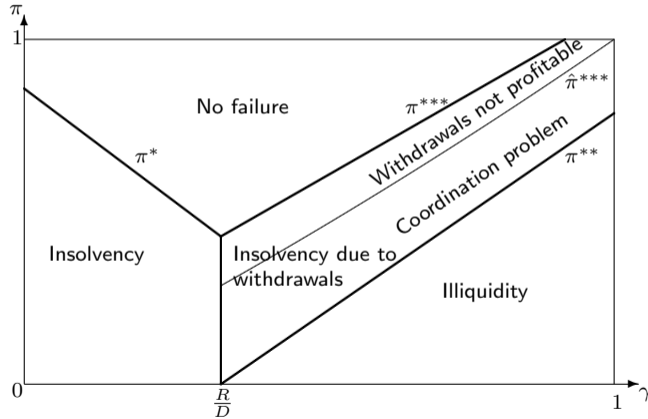
Inability to repay remaining depositors

- ▶ For intermediate deposit withdrawals, banks sell some of their loans, $0 < \hat{L} < L$
- ⇒ $\pi < \pi^{***} = \frac{(\lambda(1+(1-\gamma)r_D)+\gamma)D-(1+\lambda)R}{\lambda(1+r_L)(D-R)}$
- ▶ The bank can repay depositors withdrawing early, but the losses from selling loans are too large to allow them to repay the remaining depositors in full

Profitable to withdraw deposits

- ▶ The remaining depositors obtain from the bank repayments of the loans not sold, and the cash reserves, less the amount repaid for early withdrawals
 - ▶ As early withdrawal does not pay any interest, they would be worse off than those depositors if the repayments shared are below the face value of the deposit
 - ▶ $\pi (1 + r_L) (L - \hat{L}) + R - \gamma D < (1 - \gamma) D$
- $\Rightarrow \pi < \hat{\pi}^{***} = \frac{(\lambda + \gamma)D - (1 + \lambda)R}{\lambda(1 + r_L)(D - R)}$
- ▶ Depositors are better off withdrawing early than remaining with the bank, causing a bank run
 - ▶ Coordinating to not withdraw deposits would benefit all depositors

Bank failures due to deposit withdrawals



Summary

- ▶ Banks taking high risks face insolvency or illiquidity as they cannot raise enough cash to withstand early deposit withdrawals
- ▶ Banks taking low risks and facing low deposit withdrawals will not fail
- ▶ Banks between these extremes can raise enough cash for early deposit withdrawal, but might not have the resources to repay the remaining depositors
- ▶ It can be beneficial for depositors to withdraw early and cause a bank run
- ▶ This presents a coordination problem as all depositors not withdrawing would be beneficial for all



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