



Chapter 7.2.2  
Underwriting syndicates

# Outline

- Problem and model assumptions
- Optimal syndicate size for issuers
- Co-underwriters
- Lead underwriter
- Summary

## ■ Problem and model assumptions

## ■ Optimal syndicate size for issuers

## ■ Co-underwriters

## ■ Lead underwriter

## ■ Summary

# Benefits of syndicates

- ▶ Investment banks rely on their network of investors to solicit bids for securities they underwrite
- ▶ Each investment bank will have a limited network, not covering the whole market
- ▶ Issuers could appoint multiple banks to reach a wider pool of potential investors
- ▶ Such syndicates are routinely appointed

# Lead underwriters

- ▶ When appointing a syndicate to manage the underwriting, a moral hazard problem emerges that allows investment bank to shirk their efforts to identify potential investors
- ▶ Typically, a lead underwriter is appointed who has overall responsibility for the underwriting process
- ▶ Such a lead underwriter can mitigate the moral hazard problem

# Search efficiency

- ▶ The issue has a potential value of  $V$ , which is realised if all possible investors are contacted and the highest bids considered
- ▶ Search is inefficient in that only a fraction  $\gamma$  of this value can be realised
- ▶ We set  $\gamma = 1 - \frac{\eta}{N}$
- ▶ The more investors are contacted, the more of the value can be obtained
- ▶ If search is fully efficient  $\eta = 0$ , then the full value can be realised
- ▶ If search is not fully efficient  $0 < \eta < 1$ , then only part of the value is realised

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# Issuer proceeds

- ▶ The issuer receives a fraction  $\gamma$  of the value of the security  $V$
- ▶ They have to pay a underwriting fee  $f$  based on the proceeds of the security  $\gamma V$  to each of the  $N$  syndicate members
- ▶ Net proceeds:  $\Pi_C = \gamma V - N f \gamma V$
- ▶ The optimal syndicate size is given if  $\frac{\partial \Pi_C}{\partial N} = 0$ , giving  $f N^2 = \eta$
- ▶ This gives proceeds  $\Pi_C = \left(1 - 2\frac{\eta}{N}\right) V$
- ▶ If  $N \geq 2 > 2\eta$ , then  $\Pi_C > 0$  and using a syndicate is profitable



# Preferred syndicate size

- ▶ Issuers prefer the largest possible syndicate size
- ▶ This is because the underwriting fee is reducing in the syndicate size
- ▶ A larger syndicate increases the moral hazard of investment banks not performing their tasks
- ▶ We propose that using a lead underwriter mitigates this moral hazard problem and allows for larger syndicate sizes

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# Investment bank profits with effort

- ▶ Co-underwriters receive a fraction  $\lambda$  of the total fee income  $Nf\gamma V$
- ▶ Investment banks exerting efforts to identify potential investors face costs  $c_H$
- ▶ Profits:  $\Pi_B^H = \lambda N f \gamma V - c_H V$

# Investment bank profits without effort

- ▶ An investment bank exerting no effort faces lower costs  $c_L < c_H$
- ▶ As it exerts no effort, a smaller fraction of the value is realized:  $\hat{\gamma} = 1 - \frac{\eta}{N-1}$
- ▶ Profits:  $\Pi_B^L = \lambda N f \hat{\gamma} V - c_L V$

# Inducing effort for co-underwriters

- ▶ If  $\Pi_B^H \geq \Pi_B^L$ , the investment bank will make effort to identify investors
- ▶ This implies  $\lambda f \geq \frac{c_H - c_L}{\eta} (N - 1)$
- ▶ Underwriting needs to be profitable:  $\Pi_B^H \geq 0$  giving  $\lambda f \geq \frac{c_H}{N - \eta}$
- ▶ To ensure underwriting is always profitable, we need the first constraint to be more binding:  $\frac{c_H - c_L}{\eta} (N - 1) \geq \frac{c_H}{N - \eta}$
- ▶ This solves for  $N \geq N^* = \frac{1}{2} (1 + \eta) + \sqrt{\frac{1}{4} (1 + \eta)^2 + \frac{\eta c_L}{c_H - c_L}}$

# Minimum syndicate size

- ▶ We have a minimum syndicate size  $N^*$  that is compatible with co-underwriters exerting effort and in this case always making profits
- ▶ Too small syndicates do not raise enough proceeds from the issue, despite having to share the fee income among fewer members
- ▶ The exertion of effort requires a minimum share of the underwriting fee
- ▶ Lead underwriters must also be induced to participate in the syndicate, hence the fee available to them cannot be too small

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# Investment bank profits

- ▶ Lead underwriters allocate tasks and distribute the revenue among syndicate members
- ▶ They obtain the fraction of the fee not distributed,  $1 - (N - 1) \lambda$
- ▶ Their profits are similar to that of co-underwriters, replacing  $\lambda$  with  $1 - (N - 1) \lambda$
- ▶ Exerting effort:  $\hat{\Pi}_B^H = \left( \left(1 - \frac{\eta}{N}\right) N f(1 - (N - 1) \lambda) - c_H \right) V$
- ▶ Not exerting effort:  $\hat{\Pi}_B^L = \left( \left(1 - \frac{\eta}{N-1}\right) N f(1 - (N - 1) \lambda) - c_L \right) V$



# Incentives to exert effort

- ▶ To induce effort into lead underwriters we need  $\hat{\Pi}_B^H \geq \hat{\Pi}_B^L$  and underwriting must be profitable  $\hat{\Pi}_B^H \geq 0$
- ▶ This gives the same condition on the minimum size of the syndicate as for co-underwriters
- ▶ Using the constraint to exert effort for co-underwriters and lead underwriters we combine them to get  $\frac{c_H - c_L}{\eta^2} N^2 (N - 1) \leq \lambda \leq \frac{1}{N - 1} - \frac{c_H - c_L}{\eta^2} N^2$
- ▶ A viable solution for  $\lambda$  requires  $N^3 (N - 1) \leq \frac{\eta^2}{c_H - c_L}$ , the maximum syndicate size is limited

# Optimality for issuers

- ▶ If we want the syndicate to be optimal for issuers then we need  $f = \frac{\eta}{N^2}$
- ▶ The lead underwriter will extract all surplus from the co-underwriters, hence  $\Pi_B^H = 0$
- ▶ This gives  $\lambda = \frac{N^2 c_H}{\eta(N-\eta)}$
- ▶ The lead underwriter will also not provide more incentives than necessary for co-underwriters to exert effort, hence  $\Pi_B^H = \Pi_B^L$ , this gives  $N = N^*$
- ▶ This is only feasible if it meets the condition  $N^2 (N - 1) (\eta c_H + (N - \eta) (c_H - c_L)) \leq \eta^2 (N - \eta)$  for  $N = N^*$  from the constraint on  $\lambda$
- ▶ The syndicate must not be too large

# Need for lead underwriters

- ▶ If all underwriters are equal, then  $\lambda = \frac{1}{N}$
- ▶ For optimality and inducing effort, we would need  $N^3 c_H = \eta (N - \eta)$  for  $N = N^*$
- ▶ This is unlikely to be fulfilled
- ▶ Optimal syndicates require lead underwriters

# Syndicate size

- ▶ If search is less effective, syndicates are bigger:  $\frac{\partial N^*}{\partial \eta} > 0$
- ▶ If the costs for not exerting effort are higher, syndicates are bigger:  $\frac{\partial N^*}{\partial c_L} > 0$
- ▶ If cost difference to exerting effort is bigger, syndicates are smaller:  $\frac{\partial N^*}{\partial (c_H - c_L)} < 0$
- ▶ As  $0 \leq \eta \leq 1$ , the syndicate size generally will be small

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## Increasing offer price

- ▶ Syndicates extend the search for potential investors and increase the offer price
- ▶ This is balanced against higher costs and the possible free-riding of syndicate members
- ▶ Lead underwriters can provide incentives for co-underwriters to exert effort
- ▶ The resulting syndicate size will be small

# Constraints on syndicates

- ▶ The lead underwriter can extract all surplus from co-underwriters
- ▶ Strict conditions to be met for syndicates to be viable
- ▶ Dominance of syndicates in practice suggests these constraints are fulfilled



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Andreas Krause  
Department of Economics  
University of Bath  
Claverton Down  
Bath BA2 7AY  
United Kingdom

E-mail: [mnsak@bath.ac.uk](mailto:mnsak@bath.ac.uk)