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- Need to look at adding gravity, buoyancy etc into the model (momentum equation).

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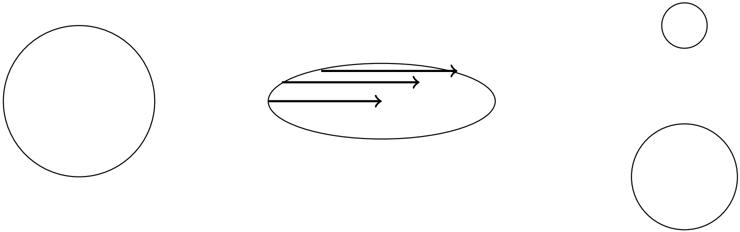

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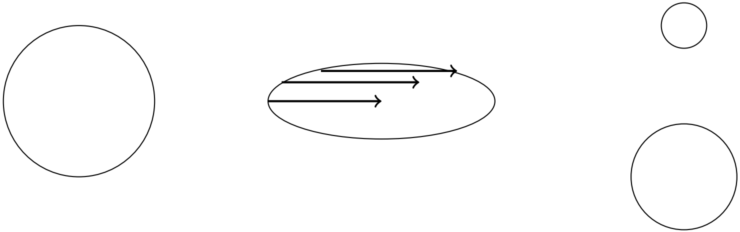

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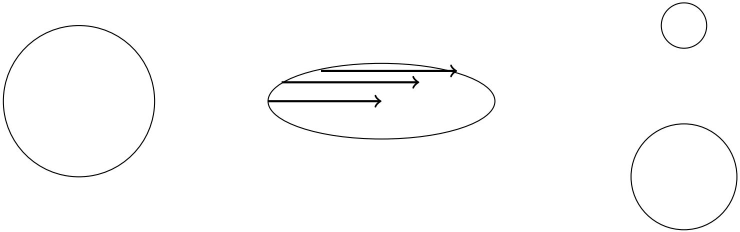

- We have seen that it is not likely that the daughter bubbles are equally sized — we need to assign some distribution of daughter bubbles, within physical bounds.
- The break up process only happens for sufficiently large Weber number.

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- **Aim:**
  - To investigate current approaches in literature of incorporating motion effects into the Rayleigh-Lamb equation.
  - Incorporate these effects in the framework of the shaking container.
  - Determine the probability of coalesence