









Editing












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Book

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DOI: [10.1017/cbo9781139017329](#). Supplementary material: [typos](#). Codes: [MATLAB](#) and [Python](#).

Refereed publications

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